



SBU JLab Group Meeting
July 13, 2018

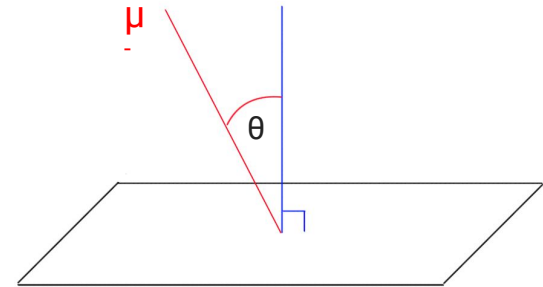
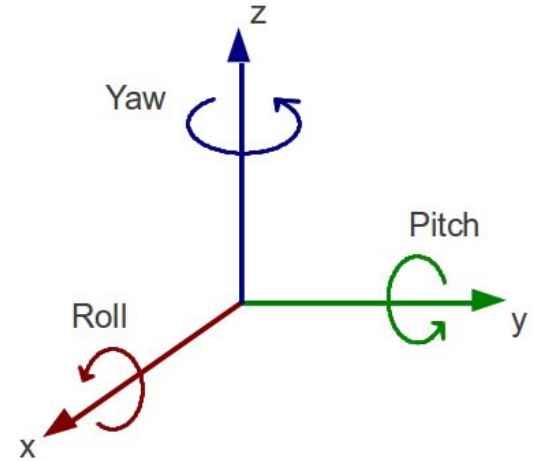
GEM Alignment Progress

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Problems

- Offsets in x and y translations and in yaw, pitch, and roll rotations, as well as the GEM resolution, produce changes in the fitted muon angle with respect to the normal
- Must align middle and bottom GEM with top GEM
- 10 total parameters (5 in each GEM except top)
- We also need an estimate on the maximum possible offset a GEM can have




Solutions

- χ^2 Minimization can be used to solve for rotational offsets, however
 1. It is insensitive to translational offsets
 2. More parameters = More unreliable and higher uncertainty (as confirmed by Daniel's regression script)
 3. Pitch and roll rotations require z-coordinate inputs
- **$\therefore \chi^2$ Minimization should only be used to solve for yaw (z-axis) rotational offsets**
- Translational offsets can be determined by selecting vertical muons, then measuring the differences in GEM coordinates



How Well Should the
GEMs be Aligned?
Can We Ignore Pitch
and Roll Rotations?



Aim: If we apply reasonable offsets, but do not correct for them, what is the difference between the truth and fitted GEM angle?

Monte Carlo Simulation of Stand- Steps:

1. Truth coordinates generated in GEM 1 and GEM 3
2. Truth coordinates calculated in GEM 2 using a linear regression
3. Add offsets to GEM 2 and 3's truth coordinates to get GEM coordinates (GEM 1 is considered the lab frame)
4. Factor in GEM resolution to the GEM coordinates
5. Fit truth and shifted GEM coordinates to linear functions
6. Calculate slopes of both
7. Slopes used to calculate truth and shifted GEM angles

How to Fit Muon Angle

$$\tan(\alpha) = \frac{R \cos(\theta)}{R \sin(\theta) \cos(\phi)}$$

$$\tan(\beta) = \frac{R \cos(\theta)}{R \sin(\theta) \sin(\phi)}$$

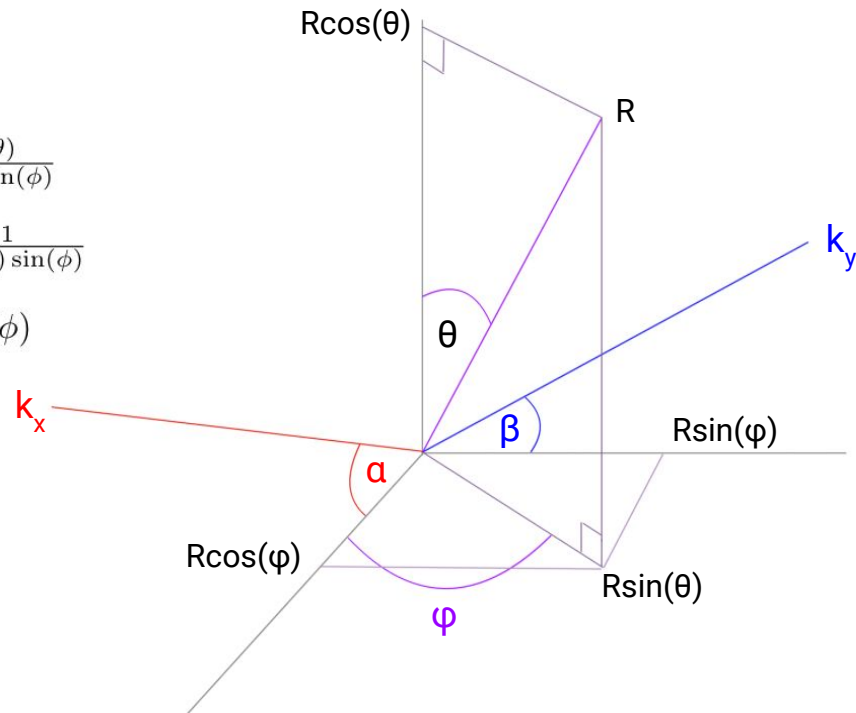
$$k_x = \tan(\alpha) = \frac{1}{\tan(\theta) \cos(\phi)}$$

$$k_y = \tan(\beta) = \frac{1}{\tan(\theta) \sin(\phi)}$$

$$\frac{1}{k_x} = \tan(\theta) \cos(\phi)$$

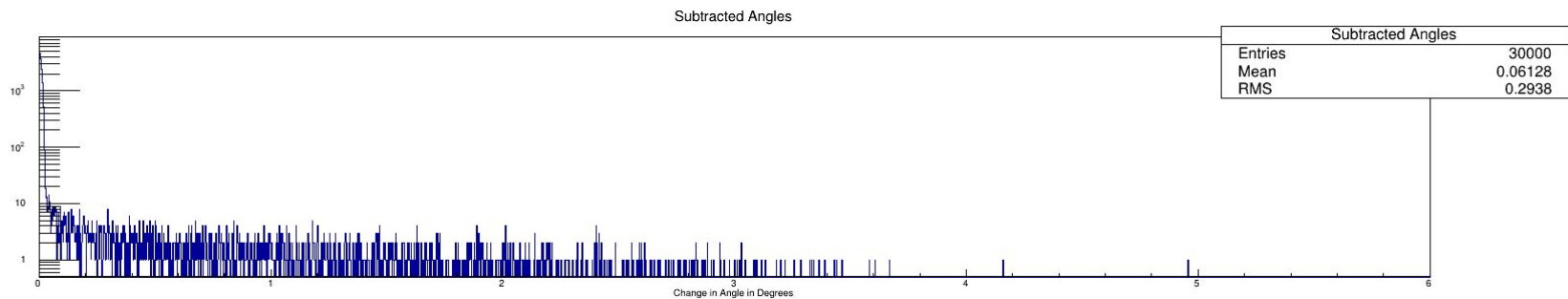
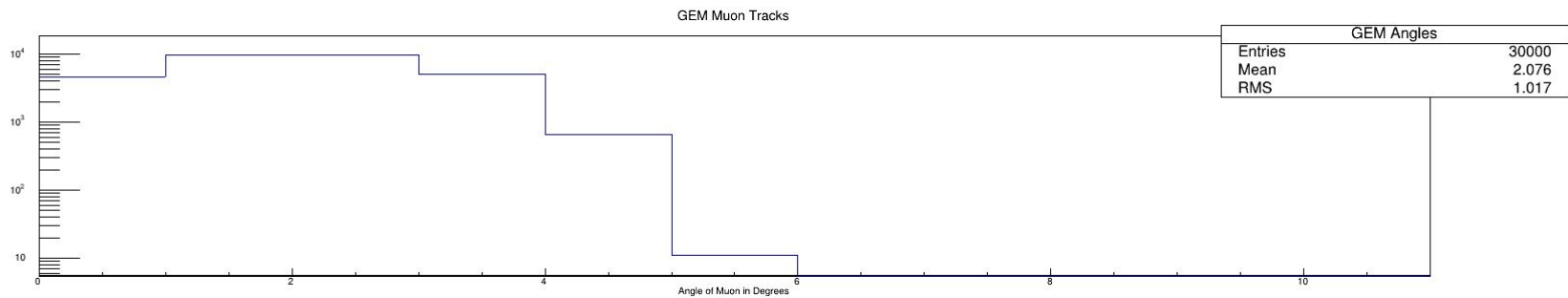
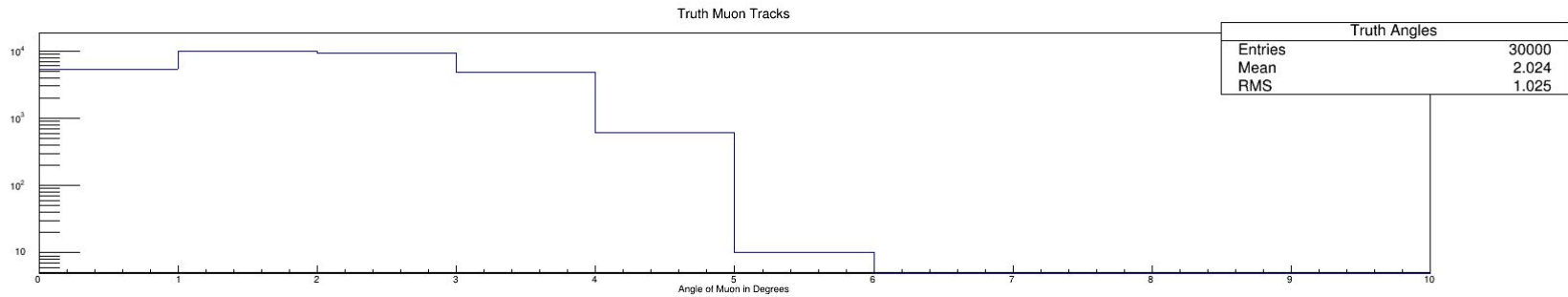
$$\frac{1}{k_y} = \tan(\theta) \sin(\phi)$$

$$\tan(\theta) = \sqrt{\left(\frac{1}{k_x}\right)^2 + \left(\frac{1}{k_y}\right)^2}$$

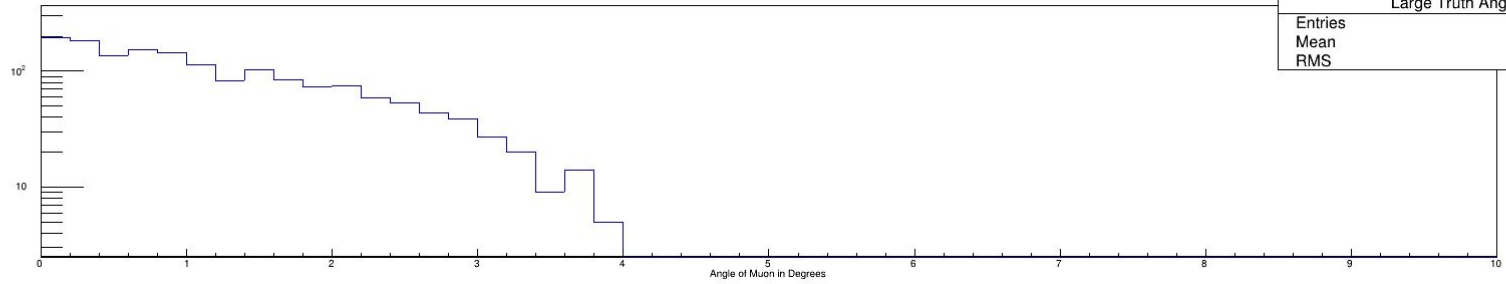




Long Stand Translation Analysis



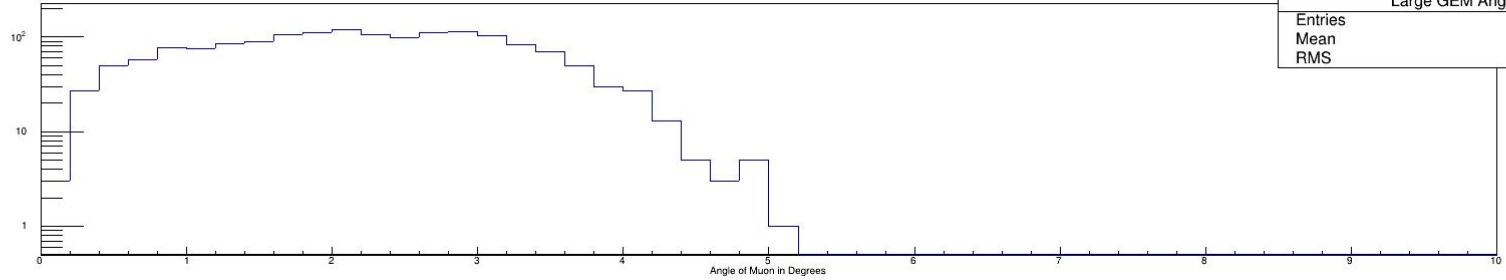
Large Real Angles



Large Truth Angles

Entries	1611
Mean	1.212
RMS	0.9241

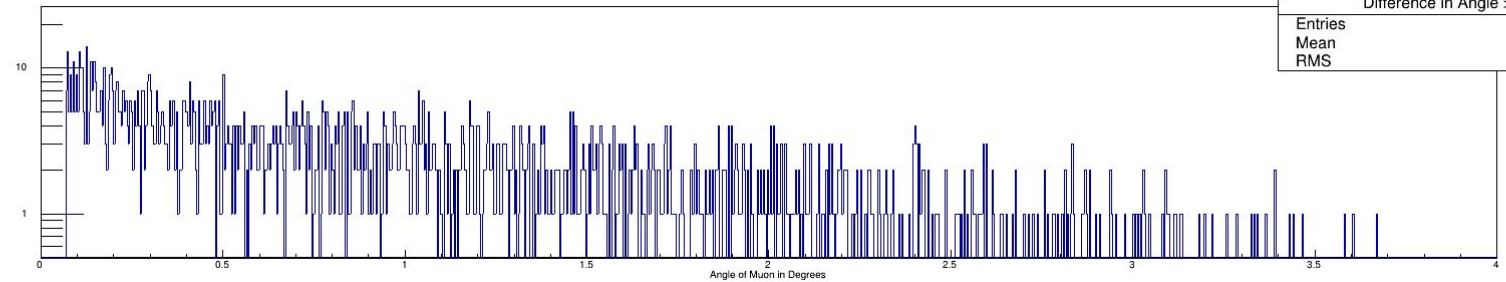
Large GEM Angles



Large GEM Angles

Entries	1611
Mean	2.224
RMS	0.991

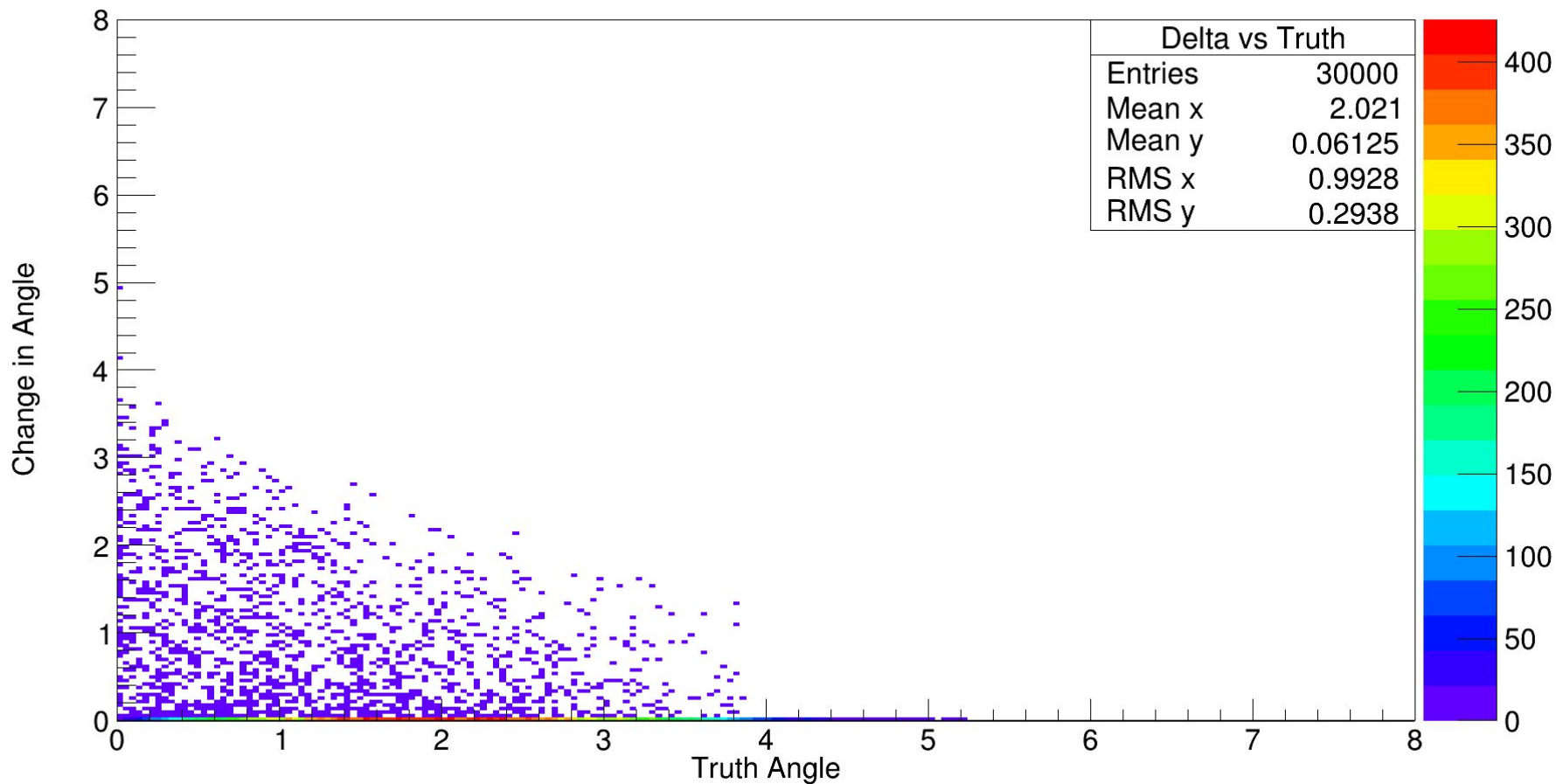
Difference in Angle > 0.07°



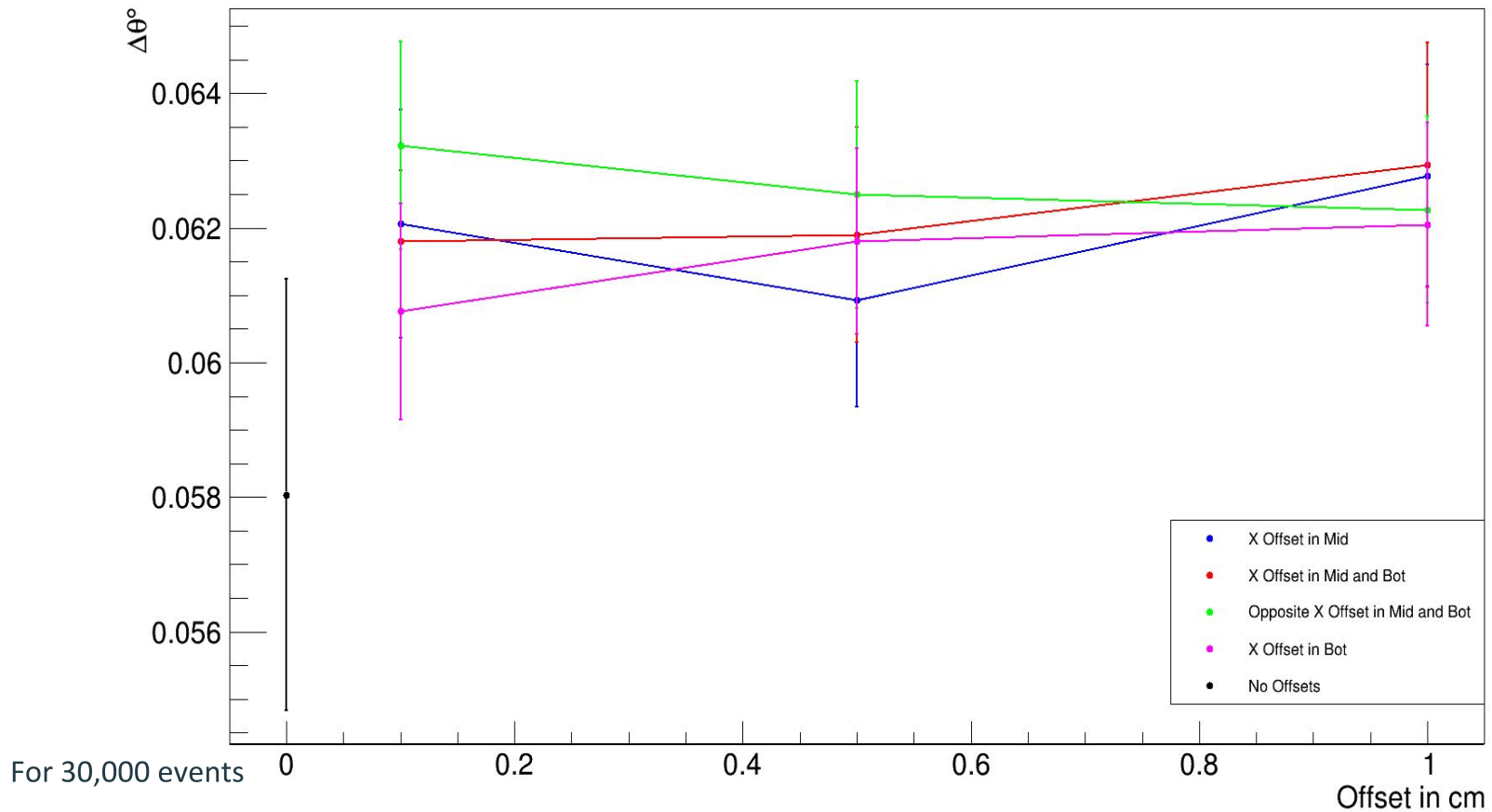
Difference in Angle > 0.07°

Entries	1611
Mean	1.007
RMS	0.7987

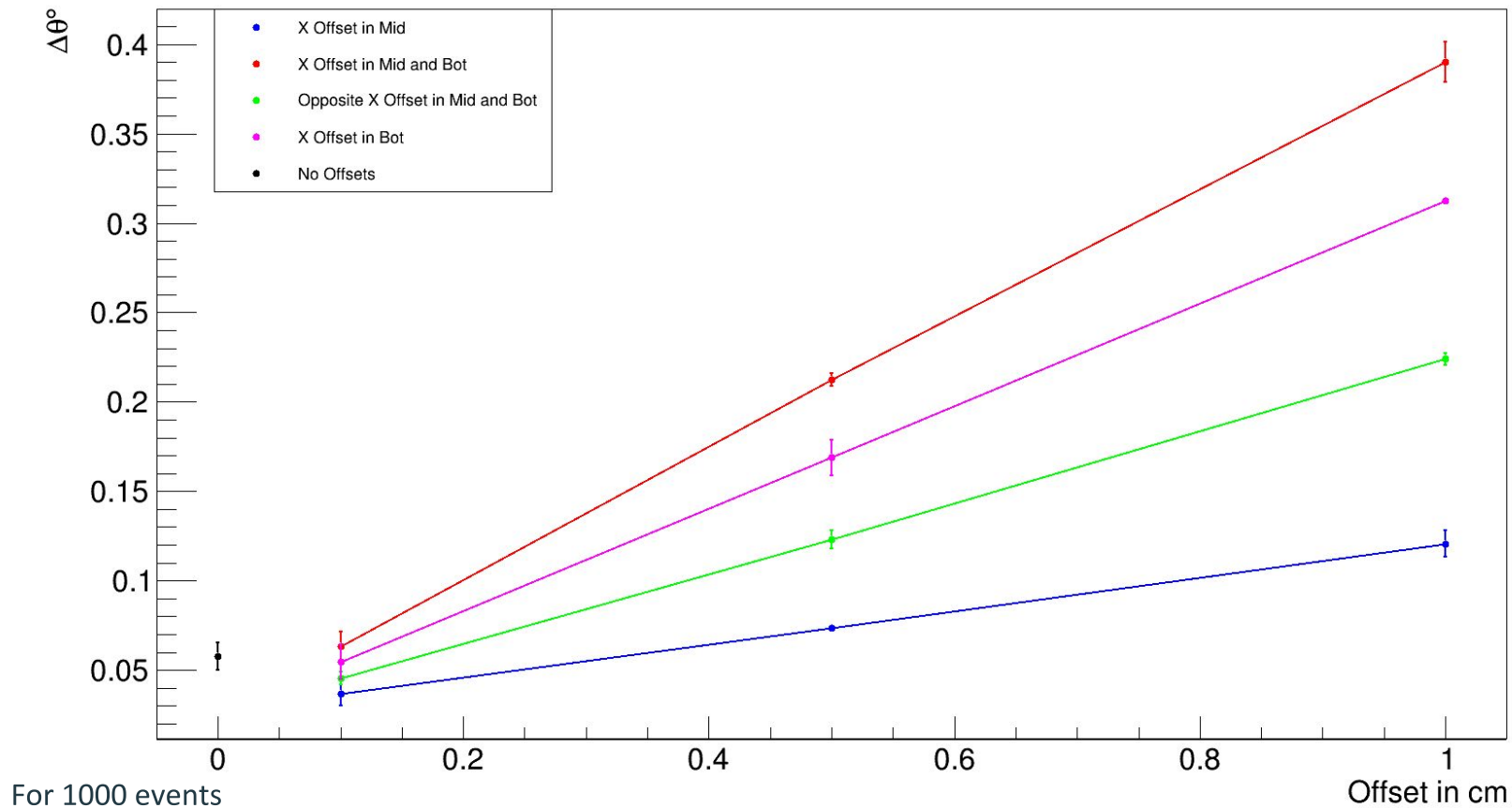
Change in Angle vs Truth Angle in Degrees



Mean Difference in Truth and GEM Angles When Translated (Long Stand)



Mean Difference in Truth and GEM Angles When Translated (Long Stand)

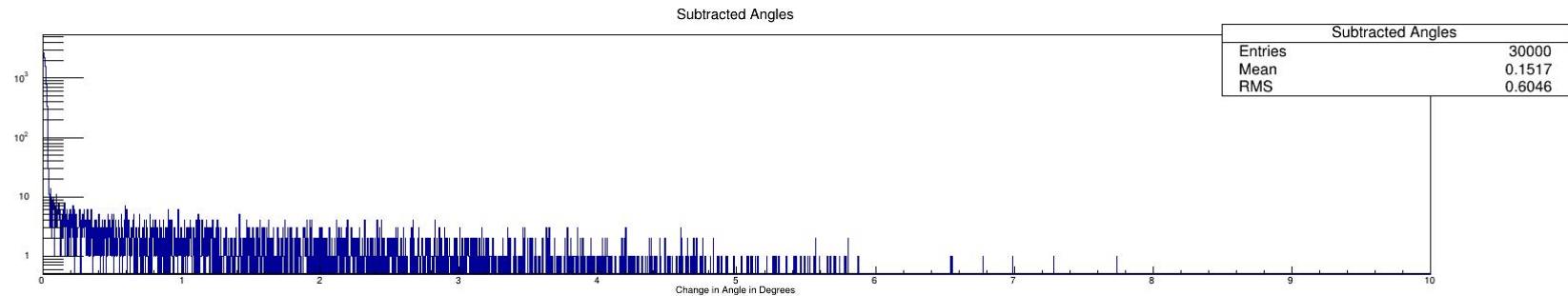
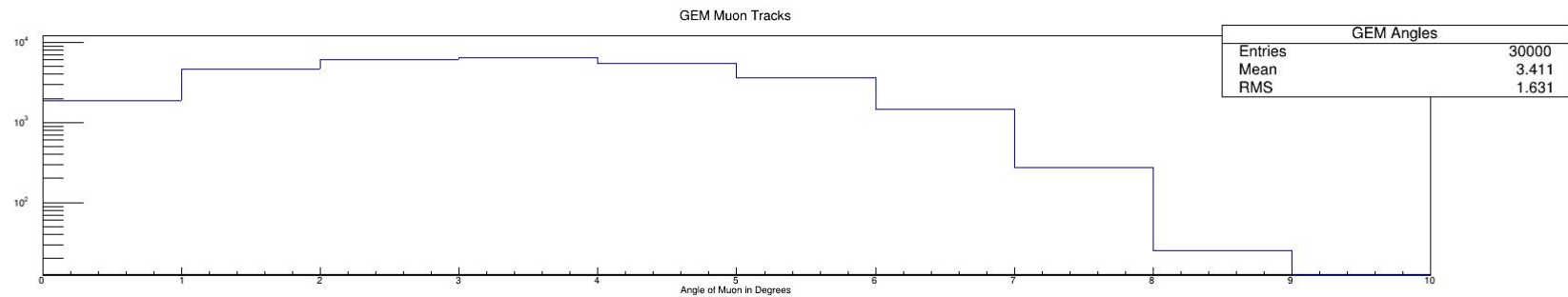
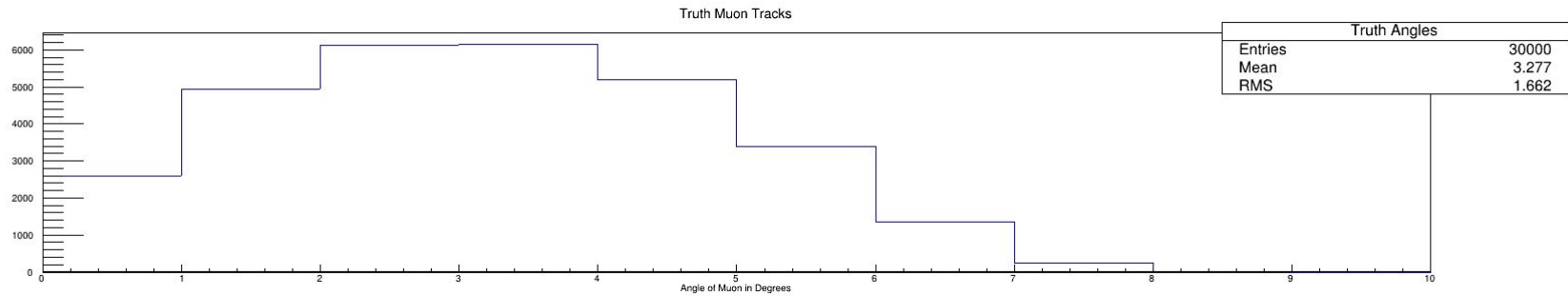


Long Stand Analysis

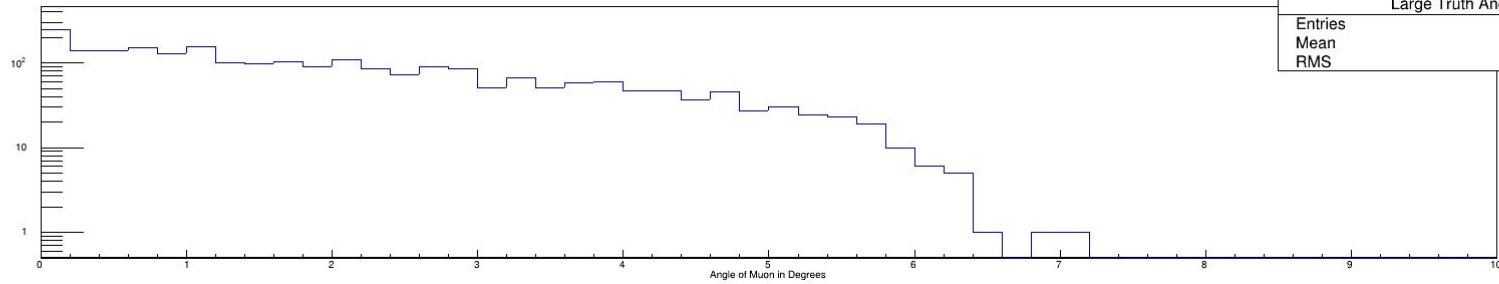
- No correlation between angle magnitude and $\Delta\theta$
- ~5.65% of muon tracks had a $\Delta\theta > 0.07^\circ$ during all translations
- ~5.98% of muon tracks had a $\Delta\theta > 0.05^\circ$ during all rotations
- Note: No resolution yields $\Delta\theta = 0^\circ$



Short Stand Translation Analysis



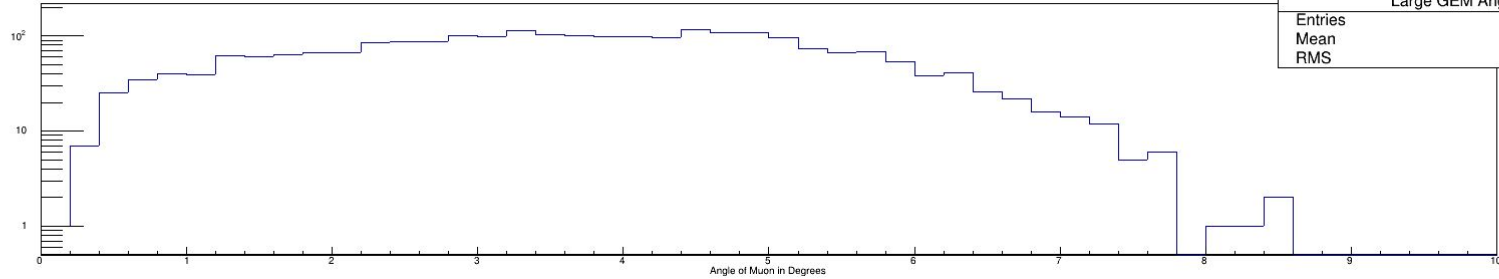
Large Real Angles



Large Truth Angles

Entries	2405
Mean	2.003
RMS	1.558

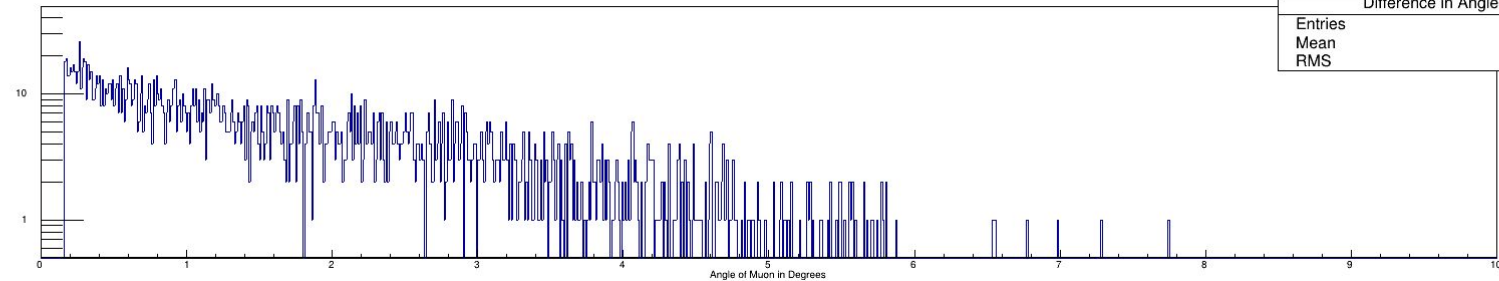
Large GEM Angles



Large GEM Angles

Entries	2405
Mean	3.715
RMS	1.603

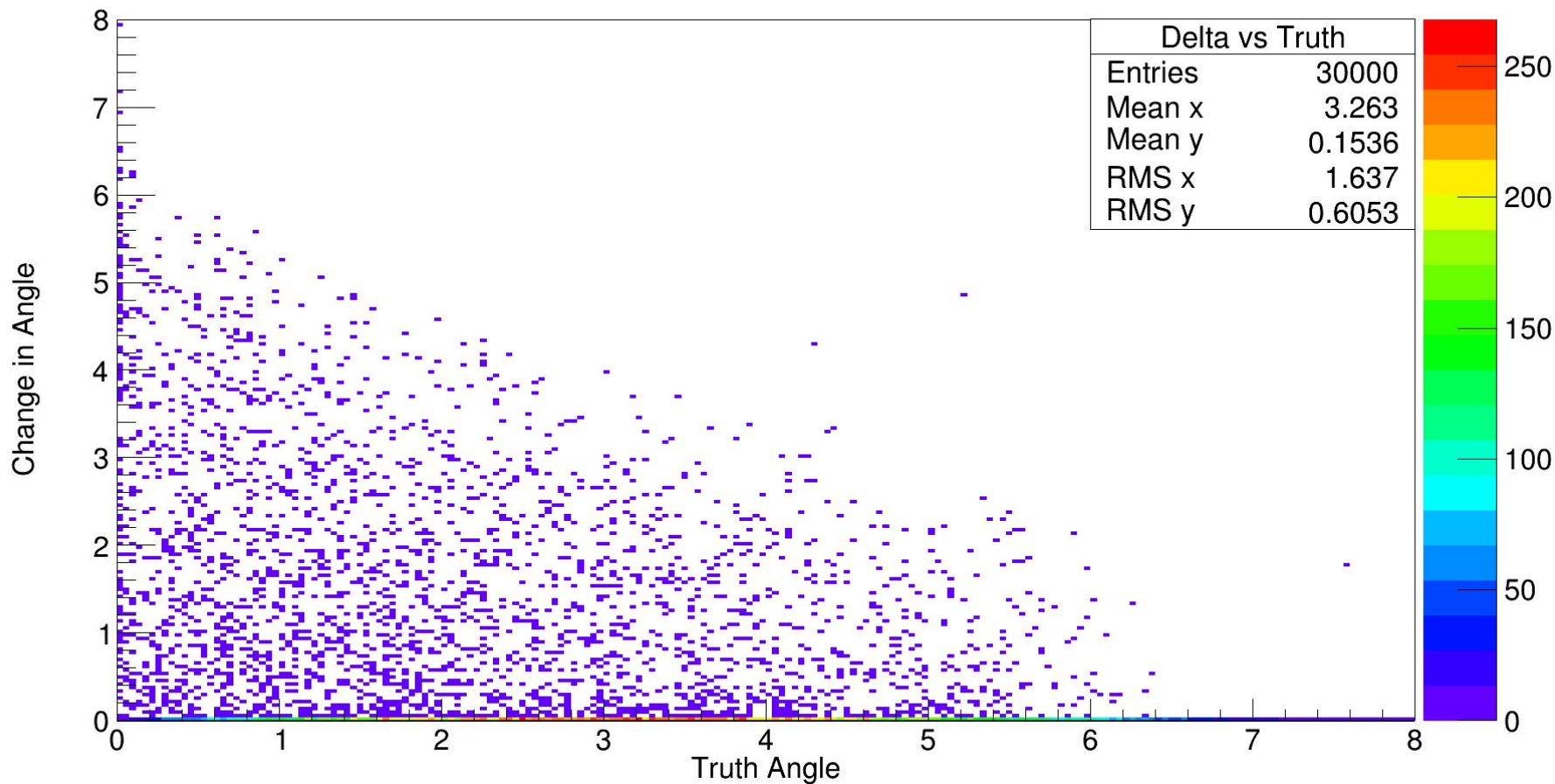
Difference in Angle > 0.16°



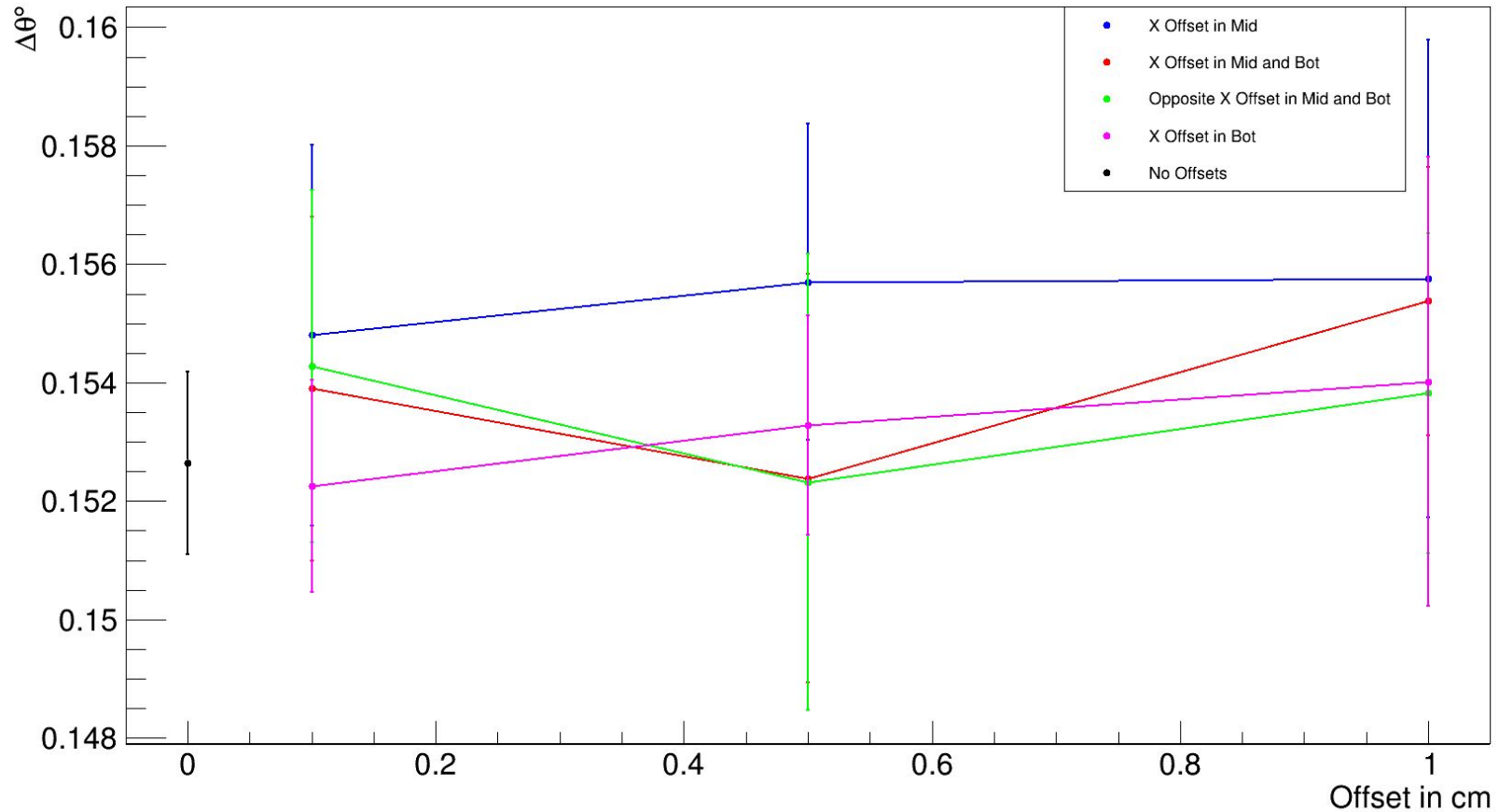
Difference in Angle > 0.16°

Entries	2405
Mean	1.747
RMS	1.339

Change in Angle vs Truth Angle in Degrees



Mean Difference in Truth and GEM Angles When Translated (Short Stand)



Short Stand Analysis

- No correlation between angle magnitude and $\Delta\theta$
- ~5.65% of muon tracks had a $\Delta\theta > 0.07^\circ$ during all translations
- ~5.98% of muon tracks had a $\Delta\theta > 0.05^\circ$ during all rotations
- GEM resolution seems to dominate angular deviations (but why only for the short stand?)

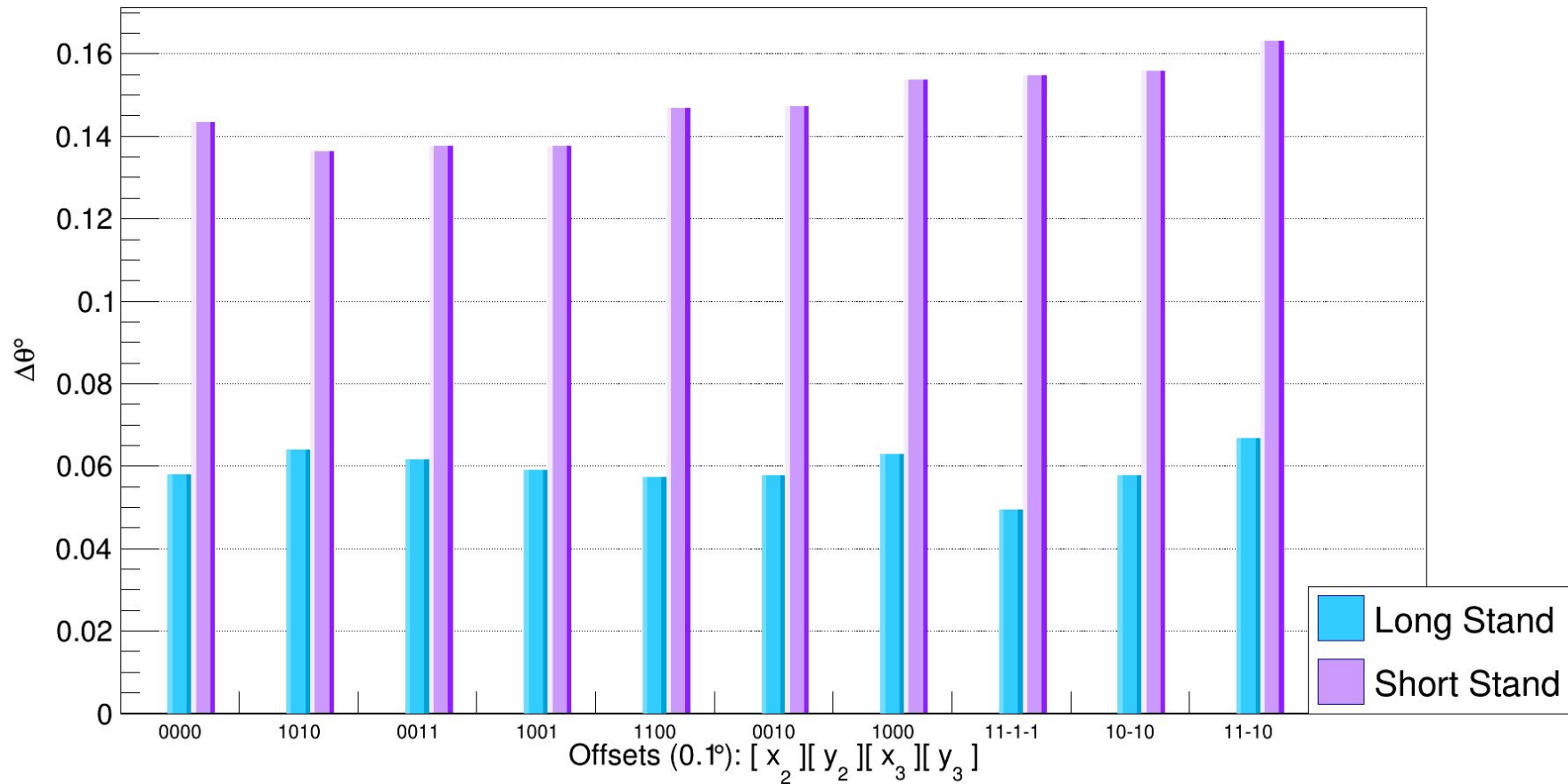


Rotation Analysis

Rotation Analysis

- Using the level, we can get the GEMs aligned within 0.1° around the x and y axis
- Test whether rotations this small make a major difference in fitted GEM angle
- This is important because it is impossible to accurately develop a χ^2 minimization model without z-coordinates (which we cannot measure with GEMs)

Mean Difference in Truth and GEM Angles When Rotated



Rotation Analysis

- For 0.1° rotations, GEM resolution dominates
- Pitch and roll rotational offsets do not need to be precisely measured

Moving Forward

- Investigate why higher event rate results in no correlation between offset and mean angle difference
- Complete χ^2 minimization regression code to measure yaw rotational offsets with uncertainties